

# Chapter 4: Applications of Derivatives Review Assignment

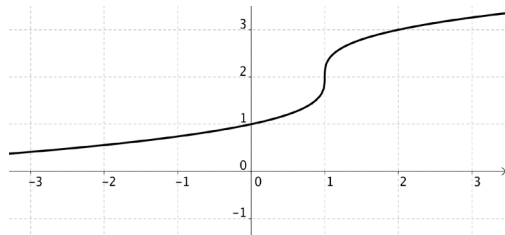
Name:

Date:

Your Target Grade For This Chapter: (MUST Indicate)  
Please CIRCLE One Of: A+ A B C  
(This helps the marker give you feedback.)

This assignment...	
Is Good To Go!	Needs More Work On Question(s):

1. For the following graph of  $f$ , find where  $f$



a) is increasing:

b) is concave down:

c) has inflection points:

2. Find the critical points and key values of

$$f(x) = \frac{x^2 - 2}{x - 3}, \text{ if any.}$$

3. For a continuous function  $f$ , defined on  $x > 2$ , its derivative is given by:  $f'(x) = 2 - \frac{3}{2}\sqrt{x - 2}$ . Find:

a) any critical point(s)

b) any relative extrema

c) any inflection points

• This assignment is to help YOU. It will identify 3 things for you:

1. How much of this chapter you really understand,
2. What you need more practice on before the test,

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(Please put your name on each page.)

3. And whether you're doing each step correctly.

- Some of the answers are on the last page – what we want to see is your work. So show all necessary work, or you'll see stuff written down right around here... ↑ ☹

4. Find the absolute extrema (abs. max and min) of  $f(x) = x^2 - 8x - 1$  on the interval  $[1, 10]$ .

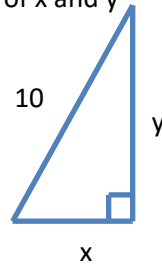
6. If  $z^2 = x^2y^2$  (where  $x$ ,  $y$ , and  $z$  are positive), and then what is  $\frac{dz}{dt}$  when  $x = 2$  and  $y = 3$ , given that  $\frac{dx}{dt} = -2$ , and  $\frac{dy}{dt} = 3$ ?

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5. For the following triangle, what values of  $x$  and  $y$  will give the maximum area?



7. A stone is dropped into some water and a circle of radius  $r$  is formed and slowly expands. The perimeter of the circle is increasing at  $3 \text{ m/s}$ . At the moment the radius is exactly  $2 \text{ m}$ , what rate is the radius of the circle increasing?

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8. Find the point "c" that satisfied the Mean Value Theorem For Derivatives for the function

$$f(x) = \frac{x-1}{x+1} \text{ on the interval } [4,5].$$

9. Find  $\lim_{x \rightarrow 0} \frac{2x^2 e^x}{\sin 2x}$  algebraically.

10. In your own words, using full sentences, describe how l'Hopital's rule works! ☺

For Example: "*l'Hopital's Rule: When you're taking the derivative of ... ..*"

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*(No need to upload this page)*

**CHECK WITH THESE BEFORE SUBMITTING**

**Answers for some of the questions:**

*(Remember: Show all your work.)*

1. -----

2.  $x = 0.35, 3, 5.65$

3. a)  $x = 3.78$     b) Local Max at 3.78    c) None

4. -----

5.  $x = \sqrt{50}, y = \sqrt{50}$

6.  $\frac{dz}{dt} = 0$

7.  $\frac{dr}{dt} = 0.48 \text{ m/s}$

8.  $c = 4.48$

9. 0 (zero)

10. -----